

Key content – knowledge and skills	National Curriculum focus
All include the national curriculum reference – full outline in the national curriculum focus	Subject content from the National Curriculum Framework Document:
Autumn 1.	Pupils will be taught:
Unit 14 & 15: Further statistics & Equations and graphs. [ S1, S3, S4 & N8, A4, A11, A12, A18 - A22]	<ul> <li>S1: To infer properties of populations or distributions from a sample, while knowing the limitations of sampling.</li> <li>S3: To construct and interpret diagrams for grouped discrete data and continuous data, i.e.</li> </ul>
Autumn 2:	histograms with equal and unequal class intervals and cumulative frequency graphs, and know their
Unit 16 & 17: Circle theorems & more algebra.	appropriate use. - S4: To interpret, analyse and compare the distributions of data
[A16, G9, G10 & N8, A4 - A7, A18]	sets from univariate empirical distributions through:
Spring 1:	<ul> <li>appropriate graphical representation involving discrete, continuous and grouped data</li> </ul>
<b>Units 18 &amp; 19:</b> Vectors and Geometric proof & Proportion and graphs.	<ul> <li>including box plots</li> <li>appropriate measures of central tendency (median mean mode)</li> </ul>
[G25 & A7, A12 - A15, R7, R10, R13 - R16]	and modal class) and spread (range, including consideration of outliers, augrtiles and inter-quartile
Spring 2:	range). - N8: To calculate exactly with
Revision / Exam practice	fractions, surds and multiples of π; simplify surd expressions involving
Summer 1:	squares (e.g. $\sqrt{12} = \sqrt{4 \times 3} = \sqrt{4 \times 3}$ $\sqrt{3} = 2\sqrt{3}$ ) and rationalise
GCSE exams.	<ul> <li>A4: To simplify and manipulate algebraic expressions (including those involving surds and algebraic fractions) by:</li> </ul>
	<ul> <li>collecting like terms</li> <li>multiplying a single term over a</li> </ul>
	<ul> <li>bracket</li> <li>taking out common factors</li> <li>expanding products of two or more binomials</li> </ul>
	<ul> <li>factorising quadratic expressions of the form x2 + bx + c, including the difference of two squares;</li> </ul>

t	actorising quadratic expressions of	
t	he form ax2 + bx + c	
-	simplifying expressions involving	
ç	rums products and powers	
5	notuding the laws of indices	
11	including the laws of indices.	
- A	ATT: To identity and interpret roots,	
iı	ntercepts, turning points of	
C	auadratic functions araphically:	
	deduce roots algebraically and	
L	urning points by completing the	
I	uming points by completing the	
S	iquare.	
- A	A12: To recognise, sketch and	
iı	nterpret araphs of linear functions,	
C	quadratic functions simple cubic	
f	unctions, the region of function v	
1	1 (constitution of the recipiocal for chord of y	
=	= 1/x with x ≠ 0, exponential	
f	unctions y = kx tor positive values	
C	of k, and the trigonometric	
f	unctions (with arguments in	
C	degrees) $v = \sin x$ , $v = \cos x$ and $v =$	
+	any for angles of any size	
1	19. To solve guadratic equations	
- <i>F</i>	A 18: 10 solve quadratic equations	
(	including those that require	
r	earrangement) algebraically by	
f	actorising, by completing the	
s	auare and by using the guadratic	
f	formula: find approximate solutions	
1		
L	Jsing a graph.	
- A	A19: To solve two simultaneous	
e	equations in two variables	
(	linear/linear or linear/quadratic)	
Ċ	plaebraically: find approximate	
- -	colutions using a graph	
3	A 20. To find approviments solutions	
- /	AZU: TO TING approximate solutions	
t	o equations numerically using	
i	teration.	
- A	A21: To translate simple situations or	
r	procedures into algebraic	
F F	expressions or formulae, derive an	
	augtion (or two simultanoous	
e		
e	equations), solve the equation(s)	
C	and interpret the solution.	
- A	A22: To solve linear inequalities in	
C	one or two variable(s), and	
C	quadratic inequalities in one	
	ariable: represent the solution set	
v	and burber line using set	
C		
r	notation and on a graph.	
- A	A16: To recognise and use the	
e	equation of a circle with centre at	
t	he origin: find the equation of a	
+	angent to a circle at a given	
I		
F	DOINT.	

-	G9: To identify and apply circle definitions and properties, including: centre, radius, chord, diameter, circumference, tangent, arc, sector and segment. G10: To apply and prove the standard circle theorems concerning angles, radii, tangents and chords, and use them to prove related results. N8: To calculate exactly with fractions, surds and multiples of $\pi$ ; simplify surd expressions involving squares (e.g. $\sqrt{12} = \sqrt{4 \times 3} = \sqrt{4} \times \sqrt{3} = 2\sqrt{3}$ ) and rationalise
	denominators.
-	<ul> <li>A4: To simplify and manipulate algebraic expressions (including those involving surds and algebraic fractions) by:</li> <li>collecting like terms</li> <li>multiplying a single term over a bracket</li> <li>taking out common factors</li> <li>expanding products of two or more binomials</li> <li>factorising quadratic expressions of the form x<sup>2</sup> + bx + c, including the difference of two squares; factorising quadratic expressions of the form ax<sup>2</sup> + bx + c</li> <li>simplifying expressions involving sums, products and powers, including the laws of indices. A5: To understand and use standard mathematical formulae:</li> </ul>
	rearrange formulae to change the
	subject.
-	A6: To know the difference between an equation and an identity; argue mathematically to show algebraic expressions are equivalent, and use algebra to support and construct arguments and proofs. A7: Where appropriate, interpret simple expressions as functions with inputs and outputs; ; interpret the reverse process as the 'inverse function'; interpret the succession of two functions as a 'composite function' (the use of formal
	function notation is expected).

<ul> <li>(including those that require rearrangement) algebraically by factorising, by completing the square and by using the quadratic formula; find approximate solutions using a graph.</li> <li>G25: To apply addition and subtraction of vectors, multiplication of vectors by a scalar, and diagrammatic and column representations of vectors; use vectors to construct geometric arguments and proofs.</li> <li>A7: Where appropriate, interpret simple expressions as functions with inputs and outputs; interpret the reverse process as the 'inverse function' interpret the succession of two functions as a 'composite function' (the use of formal function notation is expected).</li> <li>A12: To recognise, sketch and interpret graphs of linear functions, quadratic functions, simple cubic functions, the reciprocal function y = 1/x with x ≠ 0, exponential function y = 1/x with x ≠ 0, exponential functions (with arguments in degrees) y = sin x, y = cos x and y =</li> </ul>
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tan x for angles of any size
- A13: To sketch translations and
reflections of a given function
- A14. To plot and interpret graphs
(including reciprocal graphs and
exponential graphs and graphs of
non-standard functions in real
contexts to find approximate
solutions to problems such as
simple kinematic problems
involving distance, speed and
acceleration.
- A15: To calculate or estimate
aradients of araphs and areas
under graphs (including augdratic
and other non-linear araphs), and
interpret results in cases such as
distance-time araphs, velocity-time
araphs and araphs in financial
contexts (this does not include
calculus).
- R7: To understand and use
proportion as equality of ratios.

## Key assessment points

Students will sit mock examinations in December of 2020 – they will begin their external GCSE examinations based on the 2 - year SOL in Summer 1 2021.

Formative assessments to be carried out throughout the academic year. All end of topic tests will be synoptic, including questions on all content covered up to that point. Assessment will focus on understanding of the content above – each assessment will cover progress steps as outlined by Pearson education of which can be directly translated to the 9-1 scale.

## Christian ethos

A Christian ethos will be promoted in Maths lessons by encouraging a sense of wonder in the natural world and a respect for all of God's creation. Students will treat each other with mutual respect and learn to work together through group and practical activities, and consider Christian views on ethical issues discussed. The incorporation of real-life skills and a large emphasis on problem solving will also encourage a wider scope on the natural world and further develop students sense of wonder.

## **British values**

 Individual liberty in the sense of being able to develop and express one's own views, tolerance and mutual respect for one another's views is taught through the topics in which different views and/or ethics are involved. Through students

- The rule of law is addressed in units of work covering the need to have speed limits, through students understanding the need for following classroom rules.
- **Democracy** is taught through student debates when reasoning mathematically and explaining proofs.
- Group activities in Maths require students to engage in team work and show mutual respect for each other.